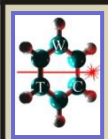


Optical fiber interferometry

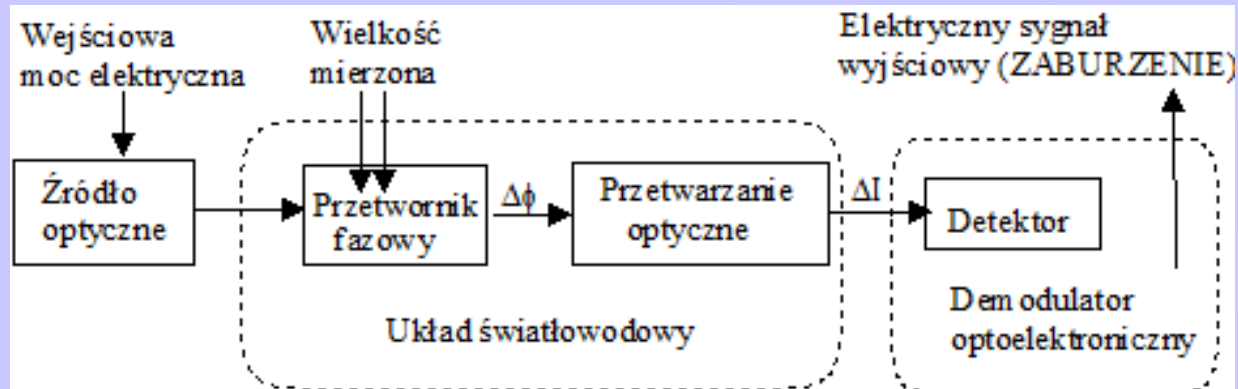
- **Signal processing**
 - **electronic considerations**



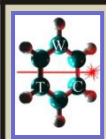


Introduction

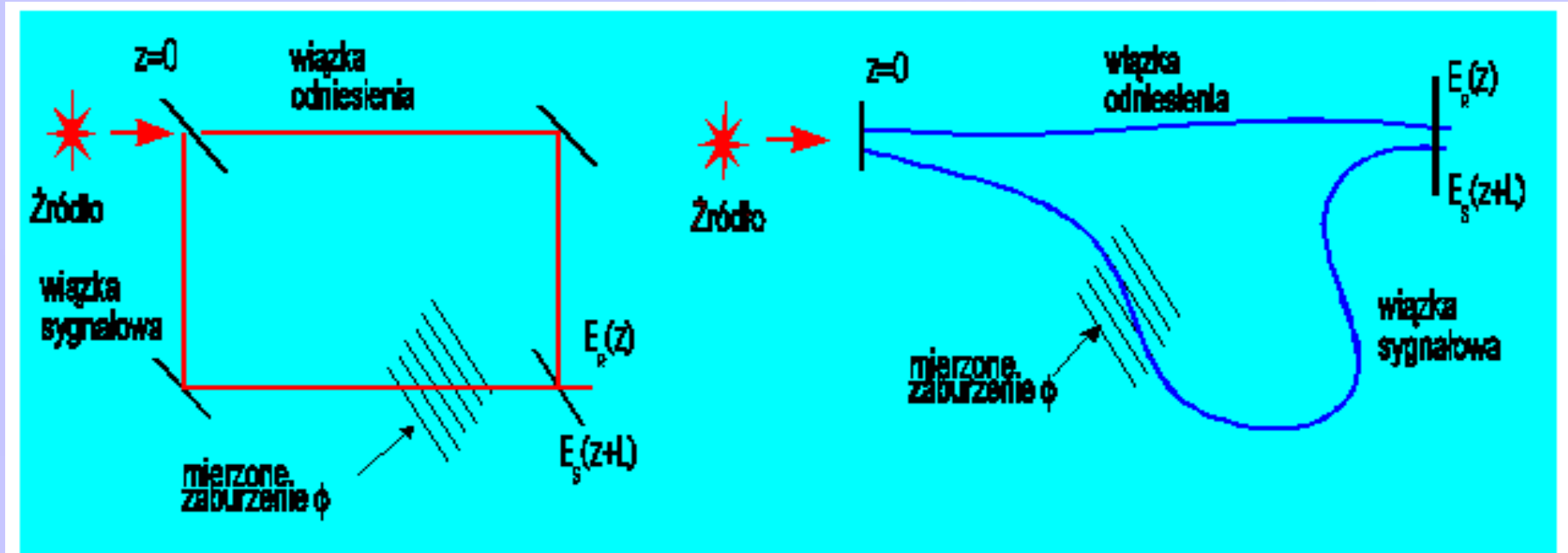
They are a new sensor class, where general principle of operation based on changes by measurand the optical way or polarization properties of optical fiber. Such sensors are named *intrinsic* or *phase* sensors.



For optical fiber, optical processing technique which process phase information on intensity information (ΔI), is called *optical-fiber interferometer*. It is a simple fiber-optic device allows observation of a interference between two or more optical beams.



Fiber optic interferometers are equivalents all well-known optical bulk interferometers, where light is closed in structure of single-mode or polarization preserving optical fiber.



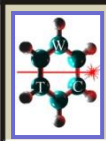
Transfer function:

$$I = I' \{ 1 + V(\gamma) \cos[\phi - \alpha(\gamma)] \}$$

bulk system

$$I = I' \{ 1 + V(\gamma, \text{SOP}) \cos[\phi - \alpha(\gamma, \text{SOP})] \}$$

fiber-optic system



Electronic considerations

Transfer function:

$$I_1 = I_0 [1 - V \cos(\phi_a - \phi_b)]$$

Thus interferometer measures only relative phase delay between two arms instead of absolute phase delay.

The general problem of signal processing is recognize that part of phase changes which is correlated with measurand when exist different noise sources.

It is convenient to separate the measurand phase into a total contribution from noise sources (ϕ_d) and from a signal ($\phi_s \sin \omega_s t$).

$$\phi_a - \phi_b = \phi_d + \phi_s \sin \omega_s t$$

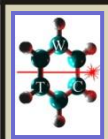
The photocurrent:

$$I_D = I_{OD} [1 + V \cos(\phi_d + \phi_s \sin \omega_s t)]$$

The frequency spectrum of the signal:

$$\begin{aligned} \cos(\phi_d + \phi_s \sin \omega_s t) &= \cos \phi_d \{ J_0(\phi_s) \\ &+ 2 \sum_{i=1}^{\infty} J_{2i}(\phi_s) \cos(2i \omega_s t) \} \\ &- \sin \phi_d \{ 2 \sum_{i=0}^{\infty} J_{2i+1}(\phi_s) \sin[(2i+1) \omega_s t] \} \end{aligned}$$

Because sensitivity depends from noise term ϕ_d the more sophisticated recovery technique must be applied for produce a useful signal.

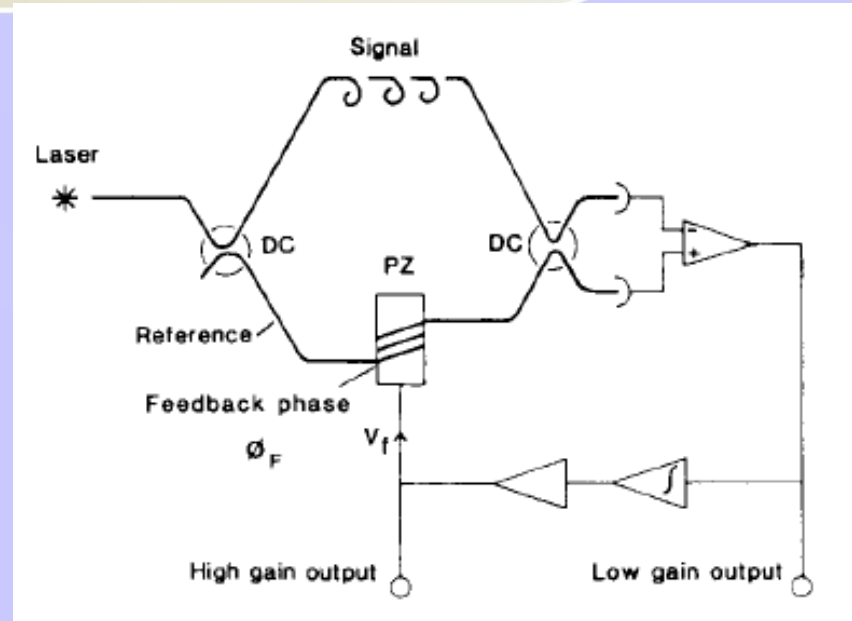


Active homodyne technique

This scheme uses servo-element for taking interferometer in constant point of work i.e. $(\phi_d) = \text{const.}$ np. $\pi/2$ (work in quadrature)

Passive homodyne technique

This scheme needs configuration with two output where exist constant phase difference – the best equal to $2\pi/3$ radian. For example system with 3x3 output coupler or polarimeter with quarterwave plate:



$$I_{D1} \propto \cos[\phi_d + \phi_s \sin\omega_s t]$$

$$I_{D2} \propto \sin[\phi_d + \phi_s \sin\omega_s t]$$

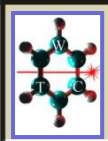
After applying low-band filter

$$I_{D1} \propto \sin\phi_d J_1(\phi_s) \sin\omega_s t$$

$$I_{D2} \propto \cos\phi_d J_1(\phi_s) \sin\omega_s t$$

After multiple and summing;

$$S \propto J_1(\phi_s) \sin\omega_s t \propto \phi_s \sin\omega_s t \quad (\phi_s \ll 1)$$



Heterodyne techniques

Heterodyne processing protects linear system response with infinite tracking range.

Heterodyne means that the optical frequencies in the interferometer arms are unequal, and this is conventionally achieved using a frequency modulator such as a Bragg cell.

Output takes the form

$$I_D \propto \cos(\omega_0 t + \phi_d + \phi_s \sin \omega_s t)$$

The output is thus a phase-modulated heterodyne carrier. The demodulation of such a signal is a familiar electronic problem, and a number of techniques are established for its solution.

